DESIGN OF FLOATING POINT ARITHMETIC UNITS AND ITS APPLICATION IN OFFLINE SIGNATURE RECOGNITION SYSTEM EMBEDDED ON FPGA

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Abstract: Floating point arithmetic circuits play an important role in scientific computing, signal and image processing applications due to its wide dynamic range and high precision. In this work, floating point Arithmetic and Logic Units (ALUs) architectures are designed, implemented on Field Programmable Gate Arrays (FPGAs) devices and utilized for signature recognition system. Synthesis results proved that log based unit provides faster computations, but increases the area compared with conventional floating point arithmetic units. Hence offline signature recognition system is designed using logarithmic single precision floating point arithmetic units and implemented on FPGA. The person's signature is classified by Support Vector Machine (SVM) and Neural Network (NN) approach. From the simulation results of the signature recognition system, the person's signature can be identified based on the features. The synthesis results proved that support vector machine classifier occupied only 34% of the FPGA resources available compared with a neural network approach that occupied 68% of the total resources. The various stages of the signature recognition system are analyzed in Xilinx FPGA and MATLAB.

Keywords: Field Programmable gate arrays, Floating point-arithmetic, Handwriting recognition, Support Vector Machines (SVM), Neural Network.

1. Introduction

Floating point arithmetic and logic units are a part of the computer system. The requirements of floating point arithmetic have become very intense due to the dynamic range representation of real numbers and better precision compared to fixed point values. These floating point numbers are represented as per IEEE-754 standard 2008. This standard represents the basic single precision (32 bits), double precision formats (64 bits) and extended precision formats [1]. The complexity of these arithmetic circuits increases on hardware implementation due to increased bit

width representation [2]. Logarithmic number systems (LNS) also provide a similar range and precision of floating point, but multiplication and division in LNS are modified to fixed-point addition and subtraction, respectively [3]. Nowadays, devices like Field Programmable Gate Arrays (FPGAs) are used for implementation of floating point arithmetic units because of their increased integration density and high performance operations. implementations produce high speed computations and utilize less power. But it is very expensive to design, build and has very less flexibility after fabrication. On the other hand, FPGAs provide good speedup results and retain high flexibility after fabrication [4]. Hence the work is focused on the design and implementation of floating point arithmetic units on FPGA for embedding biometric system.

Signature recognition is one of the most popular research areas in personal identification and A person's identity can be verified authentication. in computer systems either based on the key, PAN card, ATM PIN number and password of the corresponding person. However, keys or cards may be stolen or lost easily. PIN numbers and passwords of the persons may be forgotten or disclosed to others. Hence, to achieve more reliable verification and identification, biometrics provides methods of identity verification. In our society, the handwritten signature is considered as the primary means of identifying the signer of a written document. This method is one of the best ways to authorize transactions and verify the human identity compared with other electronic identification methods such as smart cards, RFID chips. The signature verification system depends on the selection of features and decision methodologies. There are nearly 40 different types of features used in signature verification. Features are classified as local and global. Global features are the features extracted from all the pixels pertaining to the signature image. Local features are extracted from a particular area of the signature image. Signature recognition and verification methods are classified into two type's namely online or dynamic verification systems and offline or static verification techniques.

In online Signature Recognition and Verification Systems (SRVS), features can be obtained by some special peripheral units like electronic tablet or personal digital assistant (PDA) for measuring hand speed and pressure on the human hand when the signature is created. On the other hand, an Off-line SRVS system depends on image processing and feature extraction methods. These static features are obtained either by camera or photo scanning of the signature [5]. Many classifiers like Hidden Markov model (HMM), Dynamic time warping (DTW), Support vector machines (SVM), Neural network (NN), Wavelet transform to Structural or syntactic methods are available for testing the image features. In this work, offline signature recognition system is designed using logarithmic floating point arithmetic units for classifying the person's signature using Support vector machines (SVM) and Neural Network (NN) approaches [6].

The paper is organized as follows: Section II describes the literature survey of floating point arithmetic units, signature recognition system, motivation and objectives of the work. Section III details the design of the log based floating point arithmetic units. Section IV presents the offline signature recognition system trained using SVM and neural network. Section V shows the experimental results and discussions. Finally, section VI presents the conclusion and future work.

2. Literature Survey

Many researchers proposed various methods for the design of floating point arithmetic units and offline signature recognition systems. Some of the works are presented here as a survey.

2.1 Floating Point and Logarithmic Arithmetic Designs

Ronald Scrofano et.al (2008) evaluated balanced and unbalanced binary tree arithmetic expressions using pipelined floating point cores. Implementation results on FPGA were compared in terms of area,

speed and latency[7]. Yee Jern Chong and Sri Parameswaran (2011) implemented multimode embedded floating point arithmetic units on FPGA. The embedded floating point units included the design of floating point adder and multiplier to perform double precision operations or two single precision operations simultaneously. Such designs provided performance and area benefits for the implementation of single precision and double precision floating point arithmetic units on FPGA [8].

Suganth Paul et.al (2008) proposed the method for computing log and antilog functions in FPGA device Look-Up Table (LUT) along interpolation. Logarithm function was computed using interpolation and thus the requirement of direct multiplication and division operations were avoided. Antilogarithm function was also computed using the LUT. These designs occupied less memory space compared with other works [9].Mark G.Arnold and Sylvain Collange (2011) presented an algorithm for Complex Logarithmic Number Systems (CLNS) that represented complex values in the log polar form. The real LNS hardware was used with CLNS along with the library parameters of floating point cores. Compared to CORDIC and Look-Up Table (LUT) approaches, CLNS provided better accuracy and efficient area[10].

2.2 Offline Signature Recognition Systems

Sharifah Mumtazah Syed Ahmad et al. proposed an automatic off-line signature verification system designed using statistical techniques. The Hidden Markov Model (HMM) technique was used to build a reference model for each local feature. The verification phase consisted of three layers of statistical techniques. FAR were computed as 22% and 37% for random and skilled forgeries respectively [11]. H. Baltzakis and N. Papamarkos, work was based on global, grid and texture features. stage Perceptron one-class one-network classification structure was implemented for each of the features. From the three feature sets, the classifier combined the decisive results of the neural networks and the Euclidean distance. These results were fed to a second-stage radial base function (RBF) neural network structure for the final decision. False Acceptance Rate (FAR) and False Rejection Rate (FRR) was found to be 9.81% and was 3% respectively [12]. Abhay Bansal, Divye Garg, Anand Gupta presented the geometrical properties of the signature using contour matching algorithm[13]. Eight original signatures were trained and verified by the triangle matching algorithm. In Random Forgery, FAR was found to be 0.08% and 13.02% for Simple and Skilled forgery, 2.64% was computed for FRR.

Miguel A. Ferrer et al. [14] proposed an offline automatic signature verification system geometric signature features. A 16 bit fixed-point arithmetic was used for feature set calculation and tested with different classifiers, such as Hidden Markov Models (HMM), Support Vector Machines (SVM) and Euclidean distance classifier. The experiments showed that using HMM, for random forgery FRR was found to be 2.2% and using SVM, FAR was found to be 2.65%. Using HMM, FRR and FAR was computed as 14.1% and 12.67% respectively. Hai Rong Lv et al. represented each of the signature images as landmark point set based on HMM. Grid features are extracted from grid partition technique. Pixels density and gravity center distance are used as some of the features for representing the grids of signature image [15].

M. Taylan Das and L. Canan Dulger proposed Particle Swarm Optimization (PSO) algorithm for neural network based off-line signature verification system. The three types of forgeries were used to test the performance of the algorithm. 40% of the signatures were detected correctly for skilled forgeries. Alan McCabe, Jarrod Trevathan and Wayne Read presented the methods for handwriting verification. Features like height, slant, and pressure are extracted and trained by the neural network. Several other approaches are compared with neural network for accuracy [16]. Ali Karouni, Bassam Daya and Samia Bahlak proposed the offline signature verification system. Geometric features like area, skewness and center of gravity were classified and verified by artificial neural network [17].

2.3 Motivation And Objectives Of The Work

Many research works proved the that implementation of conventional floating point multiplication and division modules on FPGA decreases the computing speed. On the other hand, logarithmic multiplication and division implementation on **FPGA** provides computations. However logarithmic addition and subtraction modules consume more area compared with conventional methods. The survey, based on offline signature recognition system proved that the design has not been implemented in real time embedded system and hence provides the possibility for the leakage of biometric information. Also in the survey works, the error rate was high in detecting the forged signatures. After defining the problem, the following objectives are set for the proposed work. I)To design arithmetic unit comprising of floating point addition, floating point subtraction, log based floating point multiplication and division with the objective of increasing the computing speed. II) To implement logarithm floating point unit based offline signature recognition system on FPGA for only the identification of the person's signature. The verification of the person's signature for detecting forgery signatures with a high accuracy rate can be implemented in MATLAB by creating Graphical User Interface. This part of the work is considered for future study by improving the feature extraction process in the designed system.

3. Log Based Floating Point Arithmetic Unit

Floating point arithmetic and logic unit consists of addition, subtraction, multiplication and division operations. In this work, the single precision format of IEEE 754 standard 2008 is used. Generally, floating point architectures are designed with the objective of optimization of area, speed and power [18, 19]. In Logarithm Number Systems (LNS), multiplication and division operations are reduced to addition and subtraction operations respectively. This property increases the speed of computations in logarithmic computations [20]. Hence log based floating point arithmetic units are designed in this work.

3.1 Log based Floating Point

Single precision log based floating arithmetic point is designed as shown in Fig.1. The design accepts two single precision inputs inp1 (X), inp2 (Y), clock, reset and select input decides the type of operation. The 1 bit f0, f1 indicates the flag for addition, subtraction module (f0=1) and multiplication division module (f1=1). Sel bit indicates the type of operation in addition (sel=0) subtraction (sel=1) module and multiplication (sel=0) division module (sel=1).

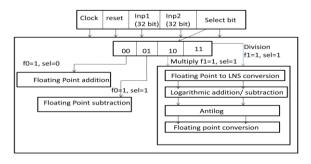


Fig.3.1. Logarithmic Arithmetic and Logic Unit

3.2. Addition / Subtraction

Floating point addition and subtraction operations are evaluated as follows:

Let the two operands be X and Y in IEEE 754 format (32 bit).

1. To get the sign bit (1 bit)

If two operands have similar sign bits, resultant sign bit will be the same i.e. 0 or 1.

If the sign bit differs, exponent and mantissa fields are compared. If the first operand is larger than the second, the first operand sign bit will be the resultant and vice versa. If both the operands have equal exponent and mantissa fields, the resultant sign bit is 0.

2. Exponent comparison (8 bits)

The exponent (e) difference of X and Y is computed. The 24^{th} bit (hidden) is made explicit in the mantissa.

If Xe >Ye, the mantissa of Y is right shifted as per the exponent difference value and its exponent value is incremented. The left most digits are filled with zeros.

If Ye > Xe, the mantissa of X is right shifted as per the exponent difference value and its exponent is incremented. The left most digits are filled with zeros.

- 3. The aligned mantissas are either added or subtracted depending upon the type of operation.
- 4. Exceptions overflow and underflow are analyzed with the resultant mantissa values. In case of overflow, the computed mantissas are shifted to the right once and 1 is added to the exponent. In case of underflow, the computed mantissa is shifted to the left until the first binary 1 is detected. The number of left shifts is subtracted from the exponents.

3.3. Multiplication / Division

Multiplication and division in LNS become addition and subtraction respectively, due to the logarithmic property given below:

$$\log_2(X \times (\div) Y) = \log_2(X) \pm \log_2(Y) \tag{1}$$

Logarithm of the two numbers $log_2(X)$ and $log_2(Y)$ are computed as per the following conversions and the resultant logarithm values are either added or subtracted depending upon multiplication and division operations respectively. Antilog of the resultant value is calculated. The final

result is converted back to floating point format using fixed to floating point converter. By *XORing* between *X&Y*, *the sign bit is calculated*.

3.4. Floating point to LNS conversion

The conversion from floating point to LNS involves two steps that can be done in parallel. The floating point input contains three parts, namely Sign (S), Exponent (E), Mantissa (M) and output LNS gives two parts namely Exponent (E) and Mantissa (M).

The floating point number 'X' is defined as

$$X = S \times 2^{E} \times M \tag{2}$$

The logarithm of a number is

$$\log_2(X) = \log_2(2^E \times M) \tag{3}$$

By multiplication rule of log;

$$\log_2(X) = \log_2(2^E) + \log_2(M)$$
 (4)

E value is considered without bias By power rule of log;

$$\log_2(X) = E \times \log_2(2) + \log_2(M)$$
 (5)

$$\log_2(2) = 1$$
; $\log_2(X) = E + \log_2(M)$ (6)

Mantissa is considered with hidden bit `1' i.e. 1.M. The log of number is represented as

$$\log_2(X) = E + \log_2(M) \tag{7}$$

The logarithm of the mantissa values are obtained from the pre-computed values stored in LUT and added with the exponent [21]. The Look-Up Tables (LUTs) values are generated from MATLAB and the values are stored in block RAM memory of FPGA board. The size of the lookup table is dependent on the number of bits of accuracy considered after fraction point (mantissa bits). For example, for n bit of accuracy, LUT depth required is 2ⁿ. For example, if 12 bits of accuracy after the fraction point is required, then the LUT depth needed will be 0 -4095 and each location will contain 32 bits of data. The LUT is addressed by n bits of mantissa. So the first n bits of the mantissa are given as an address to the LUT that contains the required data and the LUT output will be the corresponding log value for the mantissa. Once the logarithm addition or subtraction of the numbers is calculated depending on the type of operation, the antilog of the value is computed. The anti-log is the inverse log calculation.

The antilog of a log number is calculated as

$$Antilog_2(E + log_2(M)) = 2^{(E+M)}$$
 (8)

Antilog₂(E+log₂(M))=
$$2^{(E)} \times 2^{(M)}$$
 (9)

The antilog values of mantissa values are obtained from the pre computed values stored in the LUT and multiplied with 2^E. This multiplication is performed by shifting the number obtained from LUT by the exponent value. The resultant data is converted back to floating point format by finding the first 1 from the Most Significant Bit (MSB) side. Accordingly

the data is shifted and the exponent value is obtained either by adding or subtracting 127 to the shifted number. The rest of the bits represent the mantissa part, except the first 1 from MSB. Addition or subtraction of 127 to the shifted number depends on the direction of shifting of negative and non negative values.

The same procedure is followed in the design of double precision log based floating point arithmetic unit with the change in bit width. Double precision standard consists of 64 bits, namely 1 sign bit, 11 bit exponent and 52 bit mantissa. A Multimode architecture is developed in this work by integrating both single precision and double precision log based floating point arithmetic unit. This architecture can be executed either in single precision or with double precision or in both the modes simultaneously depending on the selection bit. By simultaneous execution of both the modes, this architecture can reduce the combinational path delay of executing the designs separately.

4. Offline Signature Recognition System

This section describes the stages involved in an offline signature recognition system. The system is composed of various stages like data acquisition, preprocessing, feature extraction, training and identification as shown in Fig.2. [26]. Preprocessing and feature extraction stage are performed in Xilinx FPGA. The features are trained using Support Vector Machine (SVM) and Neural Network (NN) MATLAB. Classification stage identification of the person's signature is performed in Xilinx FPGA. The mathematical computations involved in the classification stage are manipulated using log based single precision floating point arithmetic units for support vector machine and neural network approaches.

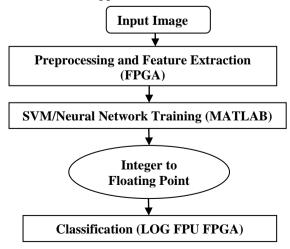


Fig.4.1. Flow Diagram

4.1. Data acquisition

In this work, signature of two persons Abhit 'a' and Gaurav 'g' each in 10 different styles are handwritten on a paper and the scanned image is obtained in the size of 240×150 as shown in Fig.3. The 20 images are converted into coefficient (.coe) files as Xilinx FPGA can't access the image files directly. In MATLAB, code is written to read the input image and resized. A new file is created to open image files in .coe format. The pixel values are obtained from 'for' loop. The data's are entered in binary format. Once the coe file is created in MATLAB, these .coe files are stored in the block RAM memory of FPGA using IP core provided in Xilinx design suite.

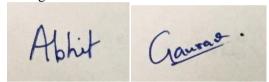


Fig.4.2. Input image 'a' Input image 'g'

4.2 Preprocessing and Feature Extraction in FPGA

The preprocessing and feature extraction stages are performed in Xilinx FPGA. The accuracy of features extracted from an image is improved in the signature pre-processing stage. In this stage the images are binarized to remove noise and thinned to remove the thickest of differences of the pen. Images are made to have one pixel thick after pre-processing stage as shown in Fig.4.



Fig.4.3 Binary Images Thinned Images.

In order to extract some of the features the images are required to be cropped. Hence, the 20 input images of size 240×150 are cropped so that the image covers the area that contains only the signatures as shown in Fig.5.

Abhit Gauras.

Fig.4.4. Cropped Image 'a' Cropped Image 'g' Global features like height, width, centroids of 4 elements, quadrant areas of 4 elements, Gray Level Co-occurrence Matrix (GLCM) of 4 elements, edge point number, horizontal histogram, vertical histogram and Histogram of oriented Gradients (HOG) are extracted from the image. HOG containing 81 elements of an image is obtained from

the cropped and resized (binary and thinned) image, whereas the remaining mentioned global features containing 17 elements are obtained from the cropped image. The feature vector size represents the addition of 81 elements of HOG and 5 times the global features of 17 elements. Thus the total of 81 elements of HOG and 85 elements of global features constitute the total size of the feature set as 1×166. These features are extracted as a text file using Xilinx design suite in Verilog. As 20 images are considered in this work, the size of the feature mix matrix used for training is 20×166.

4.3 Training Using SVM in MATLAB

In this stage, feature vector obtained in the previous stage is trained using support vector machine for classification in the next stage. SVM is a machine learning algorithm that maps the feature vector to a higher dimensional plane by non-linear mapping. It is a binary classifier that determines the linear hyper plane for the classification of two classes.

The feature mix matrix of size 20×166 is used for training the images using support vector machine. The output 20×2 matrix groups the 20 input images into two classes [27]. The values assigned are '01' and '10' for the two classes. The kernel function svm train maps the training data to the kernel space. SVM struct file is the resultant output obtained after training the features. This file consists of support vectors, bias, alpha, kernel function, shift and scale factors used for feature normalization. These data's are converted to IEEE 754 32 bit floating point standard.

4.4. Classification in Xilinx FPGA

This stage is performed in Xilinx FPGA for the recognition of a person's signature. Support vector machine provides two classes for the identification of the person 'a' and 'g'. The support vectors of size 7x166, alpha of size 7x1, bias, shift 1x166, scale 1x166 and sample test inputs (1x166) are given as input in IEEE 754 32-bit floating-point format.

The equation used in SVM classify is
$$c = \sum_{i} \alpha_{i} k(s_{i}, x) + b$$
(10)

Where s_i is the support vector, α_i is the weight, b is the bias, and k is a kernel function that represents the dot product. The sample features are normalized using shifting and scaling operations. Shifting operation represents the row vector containing the negative of the mean across all observations in training. Scale factor represents the

row vector containing the inverse of standard deviation of the training. After normalization, dot product of support vectors and normalized feature is calculated. The final value of SVM is manipulated by multiplying the alpha value with SVM dot product of size 1×7 . Then the bias value is added to it. These computations involving multiplication addition operations manipulated using the designed log based single precision floating point arithmetic unit. The final value of SVM obtained if greater than or equal to zero, the index value is '10' that represents the second person's signature ('g'). If the resultant SVM value is less than zero, the index value is '01' that identifies the first person's signature ('a').

4.5. Training Using Neural Network in MATLAB

In this section, the feature mix matrix obtained in the preprocessing and feature extraction stage is trained using neural networks [28]. Neural networks are widely used for pattern recognition, object classification, medical diagnosis, etc. Multilayer feed forward network is used in this design. A multilayer network consists of one input layer, one or more hidden layers and one output layer. In a feed forward network, the signal moves in only one direction between the neurons of each layer to other layers.

Supervised learning method is used in this work for distinguishing the person's signature. i.e. in addition to the input features, the network has to know the output vector size required for training. A feature mix matrix of size 1×166 is given as input. The output 20×2 matrix is used to group the 20 images into '2'. The values are taken as '01' and '10'. The feed forward neural network with a single hidden layer used for training is shown in Fig.6. The hidden layer is trained based on sigmoid activation function.

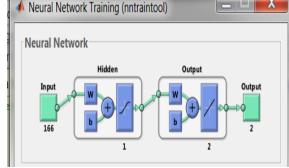


Fig.6. Neural Network Training

The input bias, output bias, input weight and output weight are obtained after training in MATLAB. These parameters are utilized for classification in the testing part to determine the hidden sigmoid function and output values.

4.6. Testing Using Neural Network in Xilinx FPGA

The classification stage for the identification of the person is performed in Xilinx FPGA. The computations of normalized value, hidden layer, sigmoid function and output layer are manipulated using log based single precision floating point arithmetic unit. The output value matched with the correct signature feature of a person will be greater than the other output value. The minimum and maximum values of the features trained in the previous stage are normalized. When the maximum and minimum values are equal, the normalized value is

$$norm_x = y_range \times (feat - Xmin)$$
 (11)

Where feat= feature, Xmax and Xmin= maximum and minimum value, output y_range = 2, Ymin = -1. When the maximum and minimum values are not equal.

$$normalized_x = norm_x / (Xmax - Xmin) + Ymin$$
 (12)

The input bias, output bias, input weight, output weight, minimum, maximum values of size 1×166 and sample test inputs of size 1×166 are converted to IEEE 754 32 bit width floating point and given as input in this stage. The normalized value of feature size 1×166 is used to calculate the single hidden layer [29].

The hidden layer of size 1×1 is obtained. The tangent sigmoid function is determined using the formula,

5+...

Finally the output layer is calculated using the relation.

Output layer= (output weight
$$\times$$
 sigmoid function) + output bias. (15)

The output values of the two layers are compared. The second person 'g' signature is determined if the second output layer is greater than the first output layer and vice versa case represents the first person's signature 'a'.

5. Experimental results

Log based floating point arithmetic units was designed and the performance analysis in terms of area and speed was compared with the conventional floating point designs. These modules were implemented on Xilinx Virtex 6 FPGA. Fig.7.represents the simulation results of log based floating point arithmetic unit. Designs were simulated in single precision mode. All the four arithmetic operations were computed.

	3
// // // // // // // // // // // // //	1
// // // // // // // // // // // // //	0
Acgvalue_testberich/a	0 10000 100 10 1 1 10000000000000000000
Agyalue_testbench/out	0 1000000 10 1 1 100 100000000 1 1 100 1 10
/ogvalue_testbench/inst/a	0 10000 100 10 1 1 10000000000000000000
□ ✓ /logvalue_testbench/inst/out	01000000101110010000000011100110
// Agyalue_testbench/nst/addr	1011100
🗖 🍑 /logvalue_testbench/inst/expofin	00000101
😝 🥠 /logvalue_testbench/inst/float_no	0 1000000 10 10000000000000000000000
m → /logvalue_testbench/nst/l	00000000
m - 🍫 /logvalue_testbench/inst/l	7
// // // // // // // // // // // // //	00111111010010000000011100110001
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//ogvalue_testbench/nst/sign_in	0
→ Aogvalue_testbench/inst/exp_in	10000100
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🗗 👉 /logvalue_testbench/inst/inst1/mantissa	0100000000000000000000
🖰 🥠 Aogvalue_testbench/inst/inst3/exp	10000001
🖪 🍫 /logvalue_testbench/inst/inst1/out3	00000010
😝 🥠 /logvalue_testbench/nst/inst//	00000001
🖰 🥠 Aogvalue_testbench/Inst/Inst//float_no	0100000101000000000000000000000
p → Aogvalue_testbench/inst/inst1/i	1
// Agyalue_testbench/inst/inst1/out1	00000001
Agyalue_testbench/inst/inst1/out2	01000000
→ /logvalue_testbench/nst/nst2/in1	0 1000000 10 10000000000000000000000

Fig.5.1 Log based Floating Point Arithmetic Unit

Table 1: Comparison among floating point Arithmetic Unit Designs on FPGA

Synthesis Parameters (VIRTEX 6 FPGA)	Conventio nal FPU	Log based FPU
Slice	239 out of	683 out of
Registers	93120	93120
LUT-FF	2123 out	1484 out of
pairs (slices)	of 46560	46560
Maximum	22.24	219.296
Frequency		
(MHZ)		
Latency (ns)	21.67	8.32

Table 1 proved that log based computations performs faster on VIRTEX 6 FPGA as floating point multiplication and division was reduced to logarithmic floating point addition and subtraction respectively. The proposed design increased the speed of computations to 219.296 MHz, but the area was increased slightly higher when compared with conventional floating point arithmetic units. This is due to the fact that, the optimization of speed and area parameters is a tradeoff in VLSI designs. Latency that represents the time interval between the

input and output generated is also decreased in the proposed design due to this property.

5.1 Simulation Results Using SVM for Signature Recognition

▶ 👹 biasβ1:0]	bc85dcb3	bx85xb3
▶ 😽 alpha[0:6,31:0]	[bcba8laf,bc/	bcba81af,bc24da25,bc3fb638,bb4f2a85,3d02b878,3ca43934,3ace024f]
▶ 👹 svm_dot[0:6,31:0]	[41c74465,419	[41c74465,419a7e56,4124595c,413b037e,c06fccca,c0599 lbc,c2e11a7d]
▶ 数 svm_sum[31:0]	bfabe2c6	b fabe 216
▶ 🎳 svm_final[31:0]	bfadfa38	bfadfa38
▶ W index(1:0)	01	M

Fig. 5.3. Identification of person 'a1' signature.

biasβ1:0]	bc85dcb3	bc85ddb3
alpha[0:6,31:0]	[bcba81af,bci	[bcba81af,bc24da25,bc8fb638,bb4f2a85,3d02b876,3ca43934,3ace024f]
svm_dot[0:6,31:0]	[c21201Bd, c11	[c212018d,c1399d93,41843a3c,c1ea04e8,c2340b68,c196d4c6,437e9f5e]
svm_sum[31:0]	bf29fb6f	bf29ft6f
svm_final[31:0]	bf2e2a54	bf2e2a54
index(1:0)	01	01

Fig.5.4. Identification of person 'a11' signature Fig.9. and Fig.10. represents the simulation result in the identification of the person 'a'. The value of SVM final is negative that results in the index value '01'. 'a11' represents the cropped signature of person 'a'. The SVM final value can be matched with the block memory value to verify the identity of the person with feature input.

▶ 🡹 bias [31:0]	bc85dcb3			bc85dc	3	
▶ W alpha(0:6,31:0)	[bcba81af,bc/		[bcba81ai	bc24da25,bc8fb638,bb4f2al	5,3d02b878,3ca43934,3acel	04j
▶ 😽 svm_dot(0.6,31.0)	[4107d221,c18	J-BBS-G	(4107d2	1,c1875c37,c193aa32,412b	e0f,42000501,4184f466,c21	399bc]
▶ 👹 svm_sumβ1:0]	3fc81e57	X		3fc81	:57	
▶ 😽 svm_final[31:0]	3fc606e4			3fc60	ie4	
▶ ¾ index[1:0]	10			1		

Fig.5.5. Identification of person 'g' signature

bias[31:0]	bc85dcb3	br35dtb3
alpha[0:6,31:0]	[bcba81af,bc/	[bcba81af,bc24da25,bc8fb638,bb4f2a85,3d02b878,3ca43934,3ace024f]
svm_dot[0:6,31:0]	[c0821f10,bfc	[c0821f10,bfd4678c,4128f0a9,41324b57,40988830 <mark>,</mark> 410955f4,41f194be]
svm_sum[31:0]	3e855cc2	3e855c2
svm_final[31:0]	3e79fdee	3e79fdee
index[1:0]	10	

Fig.5.6.Identification of person 'gf6' signature

Fig.11. and Fig.12. represents the simulation result in the identification of the person 'g'. The value of SVM final is positive that results in the index value '10.'gf6'represents the cropped signature of person 'g'. The SVM final value can be matched with the block memory value to verify the identity of the person with feature input.

5.2 Simulation Results Using Neural Network for Signature Recognition

Fig.13. indicates the simulation result in the identification of the person using neural network. The index value indicates '01' that determines the first person's signature 'a'.

la dk	1							
▶ 🌠 dataout_xmaxβ1/0]	49630000	00000000					43630000	
▶ M dataout_xmin(31:0)	420c0000	Comment				4	20:0000	
▶ 🌠 dataout_in_weight(31:0)	3e360cd1	000000	00				3e368cd1	
▶ Mdataout_feat[31:0]	43240000	0	1			-	3240000	
▶ Minput_bias[31:0]	bd5d06dd					bd5d86d		
▶ W output_bias(0:1,31:0)	(3c61d197,3d80e4)					[3c61d197,3d8	Oe4fd]	
▶ W output_weight(0:1,31:0)	[3f85013b,bf866e*		. 101			[3f85013b,bf8	(ie+4)	
▶ ₩ norm_x(0:165,31:0)	(00000000,419fed)	((0000000	0,419fe	d77,41dfe	38,00000000	428bf681,41800000,	A20fe6ca,00000000,42dfe238,000	00000,413fddd2,408000
h check_norm	1							
▶ N x_min(0:165,31:0)	(00000000, 40+0000	(0000000	0,40e0i	0000,40±00	000,0000000	,456ef000,40a00000	40e00000,000000000,41400000,0	00000,0000000,0000
▶ 👹 feature_x(0:165,31:0)	(00000000,4188000	(0000000	0,4188	0000,41980	000,0000000	,45712000,4150000	,41c80000,00000000,42880000,0	000000,40:00000,4000
▶ M norm_x(0:165,31:0)	(00000000,419fed	((0000000	0,419fe	d77,41dfe	38,00000000	428bf681,41800000,	A20fe6ca,00000000,42dfe238,000	00000,413f66d2,408000
▶ M normalized_x(0:165,31:0)	(00000000,bef2d%	[0000000x,]	([000	00000,bef2	Picc, Jean 32	c,00000000,beda48c	be-4c6dd8,3d6cb3a0,00000000,38	\$dbfbe,00000000,bf68c
▶ M hid_lay(31:0)	401c0bb2	000000	00				401c0662	
▶ M hid_layer[31:0]	4014ab8f	000000	00				4014ab8f	
▶ M hid_layer_square[31:0]	40b34f32	000000	00	XXXX			40634/32	
▶ National State ■ Signature Signatur	3f7c0ba2	0	000000		X		3f7c0ba2	
▶ W out_layer(1:0,31:0)	(bf78558e,3f84a6e	[000000	00,000	00000]	X		[bF78558e,3f84a6cb]	
▶ Mindex_neural(1:0)	01		XX		X		01	
theck_neural_ok	1							

Fig.5.7 Identification of Person 'a'.

The value '01' was assigned to the feed forward neural network during training stage. Fig.14. indicates the simulation result in the identification of the second person signature using neural network. The index value indicates '10' that determines the second person signature 'g'. The value '10' was assigned to the feed forward neural network during training stage.

la dk	0					
M dataout xmax[31:0]	436300	00000000		43630000		
dataout_xmin(31:0)	420c00			420c0000		Ð
dataout_in_weight[31:0]	3e368o	00000000		3e 368cd 1		Đ
▶ W dataout_feat[31:0]	420e00			420:0000		5
▶ M input_bias[31:0]	bd5d16		b	\$d86dd		Đ
▶ ■ output_bias(0:1,31:0)	(3c61d		[3c61d	7,3d80e4fd]		E
▶ M output_weight(0:1,31:0)	(35850)		(3/850)	b,bf866e44)		Ð
▶ ™ x_min(0:165,31:0)	1000000	((00000000,40e00000,40a	00000,00000000,456ef000,40a000	40e00000,000000000,41400000,0	annon,000000,0000000,0000000,0000	0
▶ M feature_x[0:165,31:0]	[000000	([00000000,41c00000,411	00000,000000000,45751000,4160000	41400000,000000000,41400000,0	0000,000000,0000000,0000000	0
▶ M norm_x(0:165,31:0)	[000000	([00000000,4207f2ab,410	00000,00000000,4343ef5a,4207f2a	411fed77,00000000,000000000,00	00000,0000000,0000000,00000	0
theck_norm	1					
▶ M normalized_x[0:165,31:0]	(00000)	[00000000,]([00000000,bd	d86b20,bf1e6d38,00000000,3f1b2d	8,3f32ef90,bf34d01f,00000000,bf	90000,00000000,bf800000,bf8000	
▶ M hid_lay(31:0)	bf4140	00000000		bfd1d080		Đ
▶ M hid_layer[31:0]	bfclec	00000000		bfc1ecf1		Đ
▶ M hid_layer_square[31:0]	322723	00000000		3ff72385		D
▶ M sigmoid_func[31:0]	b£7728	00000000	TX	bf77256e		0
▶ M out_layer[1:0,31:0]	(31896)	[00000000,00000000]	X	[3f89b571,bf7d286b]		E
▶ 🌃 index_neural(1:0)	10	x	X	10		Ē
theck_neural_ok	1			777		f

Fig.5.8. Identification of Person 'g'.

Table 2: Comparison between SVM and Neural Network Classifier

Synthesis Parameters (VIRTEX6 FPGA)	SVM	NEURAL NETWORK
Slice Registers	133	252
Slice LUTs	23433	38802
Bonded IOBs	3	3
Block RAM	8	2
Maximum	23.808	14.400
Frequency (MHz)		

Table 2 provided the comparison for the testing stage of support vector machine and neural network classifiers for signature recognition embedded on FPGA. Results showed that support vector machine classifier occupied less number of hardware resources and provided faster computations compared to neural network implementation.

6. Conclusion

This work described the design of floating point arithmetic units for offline signature recognition application. Log based floating point ALU's and multi mode log based arithmetic architectures were designed and implemented on Virtex FPGA. The comparison results showed that log computations was performed faster, but occupied more hardware resources than other designs. In the field of image processing, the log based single precision floating point modules were utilized to offline signature recognition embedded on FPGA. The system was analyzed based on 4 stages. In the preprocessing stage, images were binarized and thinned. Features were extracted and a feature mix matrix of size 20×166 was given as input for SVM and Neural Network training in MATLAB. From the simulation results classification stage in Xilinx FPGA, the person's authentication was identified. The FPGA synthesis results of signature recognition system using both the approaches proved that Support Vector Machine classifier occupied less number of hardware compared with resources neural network implementation.

In future, the work will be extended to train the designed signature recognition system using other classifiers. Signature forgeries can be determined accurately by improving the performance of the feature extraction process. Different types of forgeries involved in the signature recognition system can be identified. The modeled floating point arithmetic units can be applied in the field of digital

signal processing.

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