## CORROSION EFFECTS ON THE GROUNDING RESISTANCE OF GROUNDING SYSTEM BURIED IN TWO-LAYERS SOIL

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Abstract: Corrosion of the grounding grid is the most defective parameter, which has affected on the grounding grid performance and its ability to ensure its main target of stability and safety of the electrical systems. In order to indicate the corrosion degree  $(\eta)$  of the grounding grid and its effect on the grid current distribution plus the grounding grid lifetime, mathematical model has been investigated. It has been applied on different shapes of steel grounding grids buried in two layers soil. Moreover, experimental study has been carried out to investigate the relationship between the corrosion degree  $(\eta)$  and the contact resistance  $(R_{cont})$  of the galvanized steel grounding grid with different shapes

**Keywords:** Corrosion degree, experimental study, current distribution, steel grounding grid, two layers soil, mathematical model.

#### 1. Introduction

at low resistivity conditions.

Some numerical and analytical methods [1-5] were proposed to evaluate the ground resistance and other parameters of the steel grounding grids. Numerical methods considered the potential of the grounding grid surface is not zero. The situations that the grounding grid cannot be considered as an equipotential surface only occur when the grid networks are large or the frequency is very high. Most of the industrial grounding girds are small and medium size and the significant parameters are not

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calculated with very high frequency. So the grounding gird can be assumed that all segments of grids are at the same potential under fault conditions [3]. However, all of the previous methods [5-10] can only be applied when the grounding grid is in good conditions without any performance degradation and cannot be used to evaluate the performance of the grounding gird at a certain year after the grounding grid has been put into service.

Grounding system buried underground is subject to very harsh conditions and may easily become corroded. In fact, the ground resistance of the grounding grid and other parameters will become worse over time according to corrosion. When the performance of a grounding gird can no longer meet requirements, the grid does not serve its purpose [4]. Ideally, the grounding grid should have a service life equal to that of the industrial facility. Therefore, when a grounding grid is in initial design, the service life of the grounding grid and its performances as well as current distribution of each segment of the grounding grid at a certain year subsequently has been put into service need to be calculated or estimated. The estimated lifetime can help establish more economical maintenance strategy of the grounding grid, nevertheless, there is a general lack of methods or schemes that can provide the calculations or estimations of the grounding grid performances at a certain year after has been put into service [5].

This paper discusses, as a new contribution, the corrosion effects on the distribution of grounding grid currents and service lifetime in a two-layer soil model.

According to the relevant research [11-15] of electrical contact, the contact resistance ( $R_{cont}$ ) of the grounding grid is increasing due to corrosion effect because of two main reasons:

- 1- Corrosion will affect the surface roughness of conductor segment of the grid and increases the contact resistance between the conductor segments and soil.
- 2- Corrosion will make the surface of conductor segments covered with a layer of oxide film. The oxide film with high resistance that increases the contact resistance between the conductor segment and soil.

In this paper, experimental and numerical study have been carried out to indicate the relationship between the corrosion degree  $(\eta)$  and the contact resistance  $(R_{cont})$  of the galvanized steel grounding grid with different shapes. Moreover, service lifetime estimation for small and medium-sized grounding girds is indicated.

At a certain year after the grounding grid has been buried in the soil, the proposed method can evaluate the performances of the galvanized steel grounding grid with different shapes and the current distribution passed through each segment of the grid can be estimated.

#### 2. Mathematical model

In this paper, the grounding grid in two-layer soil model has been subdivided in a number n of segments at the same potential under fault conditions. According to the difference between the upper and lower soil resistivity values, the dividing of the grounding grid is with assumption that the corrosion rate (v) of the grid conductor segments is the same but it is different from the corrosion rate of the grid rod segments. This assumption is acceptable in small and medium size grounding grids because of the soil conditions are changed constantly[3].

The corrosion rate (v)estimation can be conducted based on historical data [4]. The corrosion rate associates with the material specification that buried in specified soil condition. The corrosion rate is affected by the following soil parameters: soil resistivity, pH value, moisture content, aeration, and miscellaneous. A general equation including the effects of all of the above factors in the following form is provided[4]:

$$v = f(\rho, x_1, x_2, x_3) \tag{1}$$

Where,

v =Corrosion rate (mils / yr.)

 $\rho$  = Soil resistivity ( $\Omega$  - cm)

 $x_1 = PH \text{ value}$ 

 $x_2$  = Soil moisture content (%)

 $x_3$  = Aeration (%)

Fig.1. shows the step by step flowchart used in calculations of corrosion rate, grid resistance and grid distribution current according to the proposed technique.

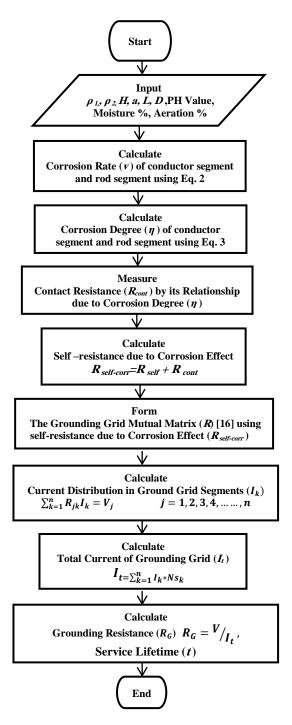


Fig. 1. Proposed technique flowchart

Using simple multiple regression analysis, the following equation is obtained for estimation of corrosion of steel in any environment[4]:

$$v = 3.36 - (9.63 \times 10^{-5}) \times \rho + 0.29x_1 + 0.034x_2 + 0.012x_3$$
 (2)

This equation is obtained from experimental data and is limited by extreme corrosion conditions, such as, extremely high resistivity (>  $10,000 \Omega$ -cm) or extremely low aeration quantities (< 3%). It is experimentally, found that the average\_corrosion rate in the following 12 years reduces to half of that value in the first 12 years and it is negligible thereafter [4].

In Eq. 2, the soil resistivity  $(\rho)$  is equal to upper layer soil resistivity  $(\rho_I)$  in order to calculate the conductor segments corrosion rate  $(v_c)$ , however, in oreder to calculate the rod segments corrosion rate  $(v_r)$  the soil resistivity  $(\rho)$  is equal to the two layers soil apparent resistivity  $(\rho_a)$ .

The corrosion rates  $(v_c)$  and  $(v_r)$  are related to the soil condition and the material of grounding grid. The material of grounding grid is known and certain in the process of initial design. In some industrial cases, the soil conditions may occur constantly changing and the annual average corrosion rate  $(v_a)$  may change constantly and can be measured or estimated at a certain year [3].

The corrosion degree  $(\eta)$  of a grounding grid segment is a function of the corrosion rate  $(\nu)$  and the time (t) that the grounding grid has been buried according to Eq. 3, [3]:

$$\eta = \eta (v, t) \tag{3}$$

The mutual ground resistance ( $R_{ij}$ ) is defined as the ratio of the earth potential over the ith segment, when it is thought as disconnected from the grid, to the ground current flowing through the jth segment. The self-ground resistance of the ith segment of the grounding grid according to corrosion effect ( $R_{self-corr}$ ) can be divided into two parts as given in Eq. 4:

$$R_{self-corr} = R_{self-ideal} + R_{cont} \tag{4}$$

Where,  $(R_{self-ideal})$  is the ideal self-ground resistance of the *i*th segment to the remote earth, which is determined by the (x,y,z) coordinates of the grounding grid segments, and  $(R_{cont})$  is the contact resistance between the *i*th segment and the soil.

When the assessed grounding grid is in good condition, the value of  $(R_{cont})$  is small and can be assumed to be zero. That is the reason why the

previous grounding grid evaluation methods ignore it [3]. However, with the service time, the value of the contact resistance ( $R_{cont}$ ) between the grounding grid segments and the soil will become larger. When the contact resistance ( $R_{cont}$ ) is large enough, it cannot be ignored.

In order to determine the relation between contact resistance of the grounding grid segment ( $R_{cont}$ ) and its corrosion degree ( $\eta$ ), the contact resistances of specified grounding grid segment under different corrosion degrees should be measured.

Experimental study is presented in this paper to indicate the relationship between the contact resistances ( $R_{cont}$ ) and corrosion degree ( $\eta$ ) of the grounding grid segment in low resistivity condition.

#### 3. Experimental setup

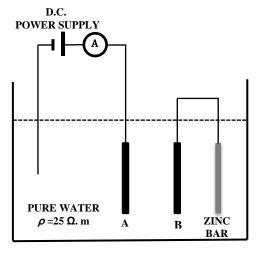
The components of the experimental setup are:

- 1. Electrolytic tank, which simulates the homogenous ground with, dimensions 50 cm long, 50 cm wide, 50 cm high filled by pure water with resistivity  $(\rho_w)$  of 25  $\Omega$ -m., as shown in Fig. 2.
- 2. Two galvanized steel conductor segments, which simulate the grounding grid material with, dimension 29 cm long, 5 cm width and 10 mm thickness with density of 8.75 gm/cm<sup>3</sup>, as shown in Fig. 2.
- Zinc conductor bar with, dimensions of 29 cm long, 5 cm width and 10 mm thickness with density of 7.14 gm/cm<sup>3</sup>.
- 4. DC power supply with varied values from zero to 180 Volt.
- 5. AC power supply with varied values from zero to 220 Volt.
- 6. Millimeters scale weight measurement device.
- 7. Voltameter and ammeter measurement devices.

The pure water resistance and resistivity are measured by using voltameter and ammeter method.

The corrosion of grounding conductor segment that needs to be measured is accelerated through connecting an external DC power supply as shown in Fig.2, the conductor rod or segment (A) is connected with the positive port of the external DC power supply, forming a loop with the negative port of the supply to The electrolytic tank with pure water. Electrons in the conductor segment are attracted by the external power. The chemical reactions (like  $Fe \rightarrow Fe^{2+} + 2e^{-}$ ) occurs in the surface of conductor rod or segment (A). The metal elements in the surface of rod or segment (A) lose electrons and become the metal positive ions. The metal positive ions deprived of electrons react with the negative ions in water, such as  $OH^{-}$ , on the surface of the conductor segment, and

forming the metal oxide covering the surface of the conductor segment eventually under the effect of oxygen in water that simulates the soil moisture content.



#### ELECTROLYTIC TANK

Fig. 2.a. DC Corrosion acceleration scheme



Fig. 2.b. The electrolytic tank with pure water  $(\rho = 25 \Omega. \text{ m})$ , steel and zinc segments.

The process of the DC accelerated corrosion is similar to that of natural corrosion, only speeding up the corrosion rate.

The conductor rod or segment (B) is the control group and will be compared with the conductor (A). The two rods are buried in the same electrolytic tank with pure water ( $\rho=25~\Omega$ . m) with same size and steel material. According to Faraday's theory the DC current flows into the water between the rods A and B. The interference is illustrated in Fig.3, The rod or segment (A) is in accelerated corrosion by the DC source that is injected into the water through rod (A). The potential of the rod or segment (B) is greater than the potential of water at the position (p), and smaller

than the potential of water at the position (q), as shown in Fig.4. As a result, the DC stray current flows into the rod (B) at the position (q) and flows from the rod or segment (B) at the position of (p). The DC stray current flowing from the rod or segment (B) will accelerate the corrosion of rod or segment (B). To protect it from this corrosion, conductor (B) is connected with a zinc bar.

According to the Faraday's law of electrolysis the corrosion degree of the conductor segment can be calculated using Eq.5. [3].

$$m = \left(\frac{Q}{F}\right) \times \left(\frac{M}{Z}\right) \tag{5}$$

Where, (m) is the mass of the substance liberated at the measured conductor segment in grams. (Q) is the total electric charge passed through the substance. F=96485C/mol is the Faraday constant. (M) is the molar mass of the substance. (Z) is the number of electrons transferred per ion.

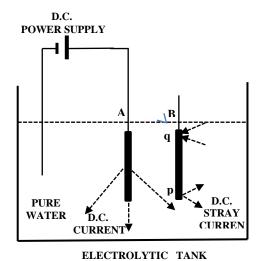


Fig.3. The interference of segment (B) without zinc bar protection

For Faraday's law, (M), (F), and (Z) are constants, the larger the value of (Q), the larger (m) will be. The corrosion degree  $(\eta)$  is defined as the corrosion depth of conductor segment below the surface in mm or mils (mil-inch). The corrosion degree can be expressed as [3]:

$$\eta = m/(\rho_s \times As) \tag{6}$$

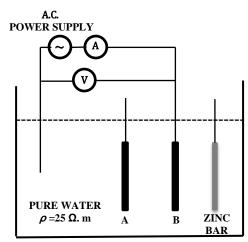
Where,  $(\rho_s)$  is the density of conductor material  $g/mm^3$ . (As) is the surface area of the measured conductor segment  $mm^2$ . The total electric charge (Q) is determined by the current flowing the loop and the

time. So the corrosion degree ( $\eta$ ) can be controlled by current flowing in the loop and the flow current time.

Under a certain corrosion degree  $(\eta)$ , the increase of self-grounding resistance of the conductor rod can be measured using the circuit arrangement given in Fig.4., the rod or segment (B) is disconnected to the Zinc electrode when the corrosion acceleration is interrupt and the measurement is conducted.

The self-ground resistance ( $R_B$ ) of rod or segment (B) is equal to its ideal self-ground resistance ( $R_{sideal}$ ) without contact resistance as given in Eq.11:

$$R_B = R_{sideal} \tag{7}$$



ELECTROLYTIC TANK

(a)

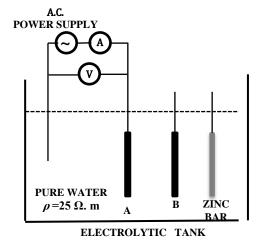


Fig. 4. Measurement of the increase of self-ground resistance ( $R_{cont}$ ) in ( $\Omega$ ) schemes (a)  $R_B$  (b)  $R_A$ 

However, the self-ground resistance  $(R_A)$  of rod or segment (A) is equal to the sum of the ideal self-ground resistance  $(R_{sideal})$  with contact resistance  $(R_{cont})$  as shown in Eq.8:

$$R_A = R_{ideal} + R_{cont} \tag{8}$$

Then the contact resistance  $(R_{cont})$  can be calculated by using Eq.9:

$$R_{cont} = R_A - R_B \tag{9}$$

Table 1. gives the messured values of contact resistance ( $R_{cont}$ ) according to different values of corrosion degree ( $\eta$ ) of galvinized steel rod put in pure water with resistivity  $\rho_w = 25 \ \Omega$ . m.

Table 1. Corrosion degree  $(\eta)$  in (mm) and contact

resistance  $(R_{cont})$  in  $(\Omega)$  at  $(\rho_w = 25 \Omega.m)$ Time (t)Corrosion Contact in (Year) Degree  $(\eta)$  in Resistance (mm)  $(R_{cont})$  in  $(\Omega)$ 0 0 0.16 0.161 0.25 2 0.322 0.38 3 0.59 0.483 0.90 4 0.645 5 0.806 1.38 6 0.967 2.12 7 3.25 1.128 8 1.290 4.97 9 1.451 7.62 10 1.612 11.67 11 1.774 17.87 12 1.935 27.36 13 2.096 41.90 2.257 64.17 14 15 2.419 98.26 16 2.580 150.46 17 2.741 230.40 18 2.902 352.80 19 3.064 540.22 3.225 827.22

The measured results, which have been idicated in Table 1., can be expressed as an empirical correlation as given in Eq.10:

$$R_{cont} = C_1 \times e^{C_2 \times \eta} \tag{10}$$

Where:  $(C_1)$  and  $(C_2)$  are constants,  $C_1 = 0.164697$ ,  $C_2 = 2.64205$ .

Fig.5. shows the corrosion degree ( $\eta$ ) as function with time (t).

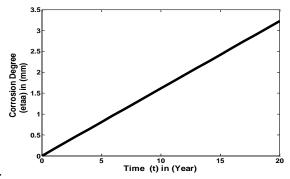


Fig.5. Corrosion degree  $(\eta)$  in (mm) and time (t) in (year) relationship

The empirical correlation in Eq. 10 indicates that, the contact resistance  $(R_{cont})$  increases with the increasing of galvanized steel corrosion degree  $(\eta)$ . The relation is exponential function with a small curve slope at low corrosion degree values and with a steep curve slope at high corrosion degree values as shown in Fig.6.:

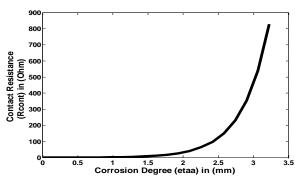


Fig. 6. Relationship between corrosion degree ( $\eta$ ) in (mm) and contact resistance ( $R_{cont}$ ) in ( $\Omega$ )

### **4.** Grounding system resistance including corrosion effect

The total grounding grid mutual resistance matrix (R) of grounding system has contained both segments self-resistance  $(R_{self})$  and mutual resistances  $(R_{mutual})$  between the grounding grid segments and each others.

Since, The contact resistance ( $R_{cont}$ ) has affected only on the grounding grid self-resistance ( $R_{self}$ ) without any effect on grounding grid mutual resistances ( $R_{mutual}$ ) [3], the ideal total grounding grid mutual resistance matrix ( $R_{ideal}$ ) is depended only on the soil resistivity ( $\rho$ ), the (x,y,z) coordinate for each segment and the shape of the grounding grid [8].

$$R_{ideal} = \begin{bmatrix} r_{11} & r_{12} & \cdots & r_{1n} \\ r_{21} & r_{22} & \cdots & r_{2n} \\ \vdots & \vdots & r_{n} & \vdots \\ r_{n1} & r_{n2} & \cdots & r_{nn} \end{bmatrix}$$
(11)

However, the effect of contact resistance ( $R_{cont}$ ) on ideal self-resistance ( $R_{self\_ideal}$ ) of the total grounding grid mutual resistance matrix ( $R_{corr}$ ) will be:

$$R_{corr} = R_{ideal} + R_{cont} (12)$$

$$R_{corr} = \begin{bmatrix} r_{11} & r_{12} & \cdots & r_{1n} \\ r_{21} & r_{22} & \cdots & r_{2n} \\ \vdots & \vdots & r_{N} & \vdots \\ r_{n1} & r_{n2} & \cdots & r_{nn} \end{bmatrix} + \begin{bmatrix} R_{cont} & 0 & \cdots & 0 \\ 0 & R_{cont} & 0 & 0 \\ \vdots & \vdots & R_{cont} & \vdots \\ 0 & 0 & \cdots & R_{cont} \end{bmatrix}$$

$$(17)$$

Since the corrision degree  $(\eta)$  has been change constatly [3], then at the certain year (t), the corrosion degree of the conductor segment  $(\eta)$  can be calculated. The contact resistance  $(R_{cont})$  at a certain corrosion degree  $(\eta)$  can be measured using the method proposed in this paper. So, the total grounding grid mutual resistance matrix due to corrosion effect at any year (t)  $(R_{corr}$  (t)) of grounding grid service lifetime can be obtained by Eq.18:

$$R_{corr}(t) = \begin{bmatrix} r_{11} & r_{12} & \cdots & r_{1n} \\ r_{21} & r_{22} & \cdots & r_{2n} \\ \vdots & \vdots & r_{\ddots} & \vdots \\ r_{n1} & r_{n2} & \cdots & r_{nn} \end{bmatrix} + \begin{bmatrix} R_{cont(t)} & 0 & \cdots & 0 \\ 0 & R_{cont(t)} & 0 & 0 \\ \vdots & \vdots & R_{cont(t)} & \vdots \\ 0 & 0 & \cdots & R_{cont(t)} \end{bmatrix}$$
......(13)

Since, the total mutual resistance due to corrosion effect at any year of service lifetime ( $R_{corr}$  (t)) has been indicated using Eq.13, current distribution in each segment of the grounding grid ( $I_{K-corr}$ ) and ground resistance to ground ( $R_{G-corr}$ ) due to corrosion effect can be calculated.

The grounding grid current distribution of each segment with corrosion effect  $(I_{K-corr})$  can be obtained by dividing the voltages applied on each segment (V), which assumed constant, by the total grounding grid mutual resistance matrix due to corrosion effect  $(R_{corr})$  as given in Eq.14. [16]:

$$I_{K-corr} = \frac{V}{R_{corr}} \tag{14}$$

Then the total current of grounding grid due to corrosion effect ( $I_{t-corr}$ ) can be calculated using Eq.15. [16]:

$$I_{t-corr} = \sum_{k=1}^{n} I_{k-corr} \times Ns_k$$
 (15)

Where

 $I_{t-corr}$  is the total current of the grounding grid due to corrosin effect in (A).

 $I_{k\text{-}corr}$  is the current of each segment due to corrosin effect in (A).

 $Ns_k$  is the number of segments of the same segment current type.

n is the number of segment current types.

Therefore, the grounding grid resistance due to corrosion effect ( $R_{G-corr}$ ) is calculated using Eq.16. [16]:

$$R_{G-corr} = \frac{V}{I_{t-corr}} \tag{16}$$

Where:

 $R_{G-corr}$  is the grounding resistance due to corrosion effect in  $(\Omega)$ .

V is the list of voltages applied on the *n* segments in (Volt).

 $I_{t\text{-}corr}$  is the total grounding grid current due to corrosion effect in the in (A).

In order to increase the flexibility of the calculations of this study, per unit system has been used as a general computation by taking:

$$KVA$$
<sub>Base</sub> = 100 KVA,  $KV$ <sub>Base</sub> = 10 KV,

$$I_{\text{Base}} = KVA_{\text{Base}} / KV_{\text{Base}}$$

$$R_{\text{Base}} = [(KV_{\text{Base}})^2 \times 1000] / KVA_{\text{Base}},$$

Two layers soil model is assumed with upper layer soil resistivity  $\rho_1 = 33 \Omega$ . m and lower layer soil resistivity  $\rho_2 = 19 \Omega$ . m, by reflection factor K = -0.2692 and with apparent soil resistivity  $\rho_a = 24.9552 \approx 25 \Omega$ . m which has been calculated using IEEE [9].

The assumed system parameters are considered as: Soil PH value = 7 (neutral soil), Soil moisture (%) = 30, Soil aeration (%) =15, Length of each segment L = 8 m (conductors and rods), Depth of burial of grounding grid H = 0.5 m, The top layer thickness D = 5 m. Conductor radius a = 0.007 m (4/0 wire),List of voltages applied on the n segments  $V_{p.u.}$  = 1.5 p.u. (assumed constant).

#### a. Grounding grid without vertical rods

by dividing the grounding grids without vertical rods in to separated conductor segments. The segments which located near to the center of the grounding grid have the same current, similarly, the segments which located far from the center of the grounding grid are have the same current also.

The current of the grounding grid segments are decreased with time according to corrosion effect.

Table .2. and Fig. 8. investigate the effect of corrosion along the service lifetime on current distribution of the steel grounding grid without vertical rods with different shapes.

In the grounding grid (3×3), with 9 meshes and 24 conductor segments, there are four different current types.

Table 2. Different shapes steel grounding grids without vertical rods current distribution along service lifetime

vertical rods current distribution along service methn										
G. G	G.G.(1×1)	G.G.		G.G. (3×3)						
Life	Each	Each segment		Each segment						
Time	segment	Current $(I_k)$		Current $(I_k)$						
(t)	Current	in (	p.u.)	in (p.u.)						
in	$(I_k)$	Near	Far	Near Far						
(Year)	in (p.u.)		Center							
	* '	Center		Center	Center					
0	229.91	146.86	150.40	80.84	132.43					
initial				106.08	106.59					
1	226.91	145.69	149.08	80.84	131.13					
				105.42	106.15					
2	222.49	143.94	147.12	80.80	129.22					
				104.42	105.46					
3	216.08	141.34	144.24	80.69	126.45					
3	210.00	141.54	177.27	102.96	104.37					
4	206.99	137.52	140.07	80.39	122.52					
4	200.99	137.32	140.07	100.82	102.65					
<u> </u>	194.53	122.05	134.18							
5	194.53	132.05	134.18	79.69	117.10					
	.=			97.762	99.983					
6	178.19	124.45	126.12	78.25	109.92					
				93.46	95.94					
7	157.97	114.36	115.59	75.58	100.82					
				87.63	90.11					
8	134.69	101.73	102.57	71.14	89.882					
				80.03	82.262					
9	110.00	87.04	87.57	64.62	77.48					
				70.68	72.45					
10	85.99	71.32	71.62	56.17	64.30					
				59.98	61.23					
11	64.53	55.91	56.08	46.50	51.26					
				48.72	49.51					
12	46.75	42.06	42.15	36.67	39.26					
	10.72	.2.00	.2.10	37.87	38.33					
13	39.36	35.98	36.04	32.01	33.88					
13	37.30	33.76	30.04	32.88	33.21					
14	32.93	30.53	30.58	27.65	28.98					
14	32.93	30.33	30.36	28.27	28.51					
1.5	27.41	25.72	25.76							
15	27.41	25.73	25.76	23.67	24.60					
1.0	22.70	21.54	21.56	24.10	24.28					
16	22.70	21.54	21.56	20.09	20.74					
				20.39	20.51					
17	18.74	17.94	17.95	16.93	17.37					
				17.13	17.22					
18	15.41	14.87	14.88	14.17	14.48					
				14.31	14.37					
19	12.64	12.27	12.28	11.80	12.00					
<u></u>				11.89	11.93					
20	10.35	10.10	10.10	9.78	9.92					
				9.84	9.87					

The currents passed through each segment of grounding grid (3×3) in (p.u.) at different buried times have been shown in Fig.7.:

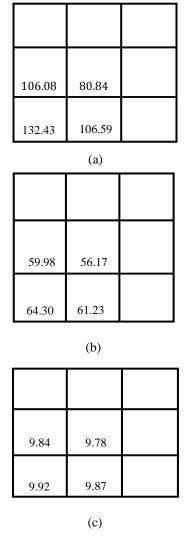


Fig. 7. Grounding grid (3×3) current distribution in (p.u.) at buried time (a) t = 0 year (b) t = 10 year (c) t = 20 year

#### b. Grounding grid with vertical rods

the grounding grids with different number of vertical rods are divided in to conducror and rod separated segments. The current distribution of the grounding grid segments are decreased with time according to corrosion effect.

Table .3. and Fig. 8. investigate the effect of corrosion along the service lifetime on current distribution of the steel grounding grid with different number of vertical rods and with different shapes.

In the grounding grid  $(3\times3)$ , with nine meshes and 24 conductor segments and 16-rod segments, there are six types of the current passed through the conductor and rod segments of the grounding grid.

The currents passed through each segment of grounding grid (3×3) with 16 rods at different buried times of the grounding grid life time as shown in Fig.8.

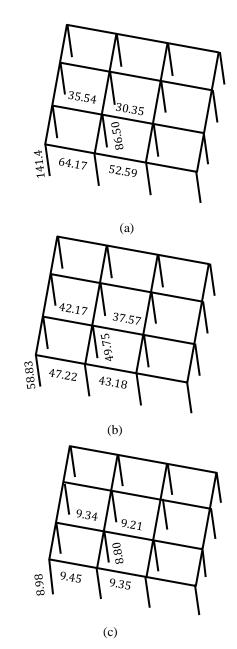


Fig. 8. Grounding grid (3×3) with 16 vertical rods current distribution in (p.u.) at buried time (a) t = 0 year (b) t = 10 year (c) t = 20 year

According to Table.2. and Table.3. of the designed grounding grids without and with vertical rods current distribution, it is noticed that the currents passed through each type of the segment current types have been decreased by the increase of the service buried time (t), however, the rod segments current is decreased rapidaly more than conuctor segments current because of effect of the two-layer soil resistivity difference. Moreover, the currents passed through the far segments from the grounding grid center is higher than the currents passed through the near segments to the grounding grid center of

different shapes of grounding grids according to different buierd times.

Table 3. Different shapes steel grounding grids with vertical rods current distribution along service lifetime

vertical rous current distribution along service metinie							
G. G	$G.G.(1\times1)$		G.G. (2×2)		G.G. (3×3)		
Life	With 4 rods		With 9 rods		With 16 rods		
Time	Each segment		Each segment		Each segment		
(t)	Current $(I_k)$		Current $(I_k)$		Current $(I_k)$		
in	in (p.u.)		in (p.u.)		in (p.u.)		
(Year)	Conductor	Rod	Conductor		Conductor	Rod	
			Far	Far	Far	Far	
			Near	Near	Near	Near	
0	125.22	197.55	83.48	156.73	64.17- 52.59	141.41	
initial			70.48	105.92	35.54 - 30.35	86.50	
1	124.62	194.93	83.31	154.76	64.18 - 52.66	139.51	
			70.74	105.44	36.26 - 30.75	86.05	
2	123.69	191.08	83.05	151.86	64.17 - 52.75	136.71	
			71.08	104.68	37.27 - 31.35	85.37	
3	122.27	185.50	82.61	147.67	64.12 - 52.86	132.70	
			71.49	103.49	38.65 - 32.20	84.31	
4	120.07	177.62	81.89	141.78	63.95 - 52.97	127.11	
			71.88	101.62	40.42 - 33.36	82.69	
5	116.71	166.90	80.69	133.80	63.50 - 52.99	119.61	
			72.07	98.75	42.50 - 34.85	80.28	
6	111.68	152.98	78.71	123.48	62.55 - 52.77	110.05	
			71.68	94.45	44.61 - 36.59	76.79	
7	104.42	135.95	75.52	110.88	60.74 - 52.04	98.59	
			70.16	88.33	46.25 - 38.28	71.98	
8	94.60	116.48	70.71	96.44	57.72 - 50.43	85.71	
			66.91	80.16	46.75 - 39.43	65.75	
9	82.36	95.87	64.01	80.98	53.21 - 47.54	72.19	
-			61.52	70.11	45.48 - 39.36	58.22	
10	68.51	75.68	55.56	65.51	47.22 - 43.18	58.83	
	00.00		54.06	58.80	42.17 - 37.57	49.75	
11	54.36	57.40	46.02	51.01	40.11 - 37.48	46.38	
	- 110		45.18	47.18	37.05 - 33.93	40.89	
12	41.26	41.98	36.35	38.30	32.53 - 30.95	35.36	
			35.90	36.25	30.80 - 28.88	32.27	
13	35.42	35.48	31.76	32.77	28.79 - 27.61	30.51	
			31.44	31.30	27.53 - 26.07	28.24	
14	30.15	29.79	27.47	27.82	25.21 - 24.34	26.11	
			27.24	26.78	24.30 - 23.22	24.48	
15	25.46	24.86	23.53	23.45	21.85 - 21.22	22.19	
			23.38	22.73	21.20 - 20.41	21.02	
16	21.36	20.63	19.99	19.64	18.76 - 18.31	18.72	
			19.88	19.14	18.30 - 17.74	17.91	
17	17.82	17.05	16.86	16.36	15.97 - 15.65	15.70	
			16.78	16.02	15.65 - 15.25	15.13	
18	14.79	14.03	14.12	13.56	13.49 - 13.27	13.10	
	/	1	14.07	13.33	13.27 - 12.99	12.70	
19	12.2253	11.52	11.76	11.19	11.32 - 11.17	10.87	
		1 - 1.0 -	11.73	11.03	11.17 - 10.98	10.60	
20	10.06	9.42	9.75	9.20	9.45 - 9.35	8.98	
			9.73	9.10	9.34 - 9.21	8.80	

# 5. Comparison between grounding grids with and without vertical rods current distribution according to corrosion effect

As shown in Fig.9.a. and Fig.9.b., corrosion degree of the grounding grid segments  $(\eta)$ , conductors and/or rods, is increased by a linear function, howevere, the contact resistance of the grounding grid segments  $(R_{cont})$  is increased by an exponential function due to the increase of service lifetime of the ground grid (t).

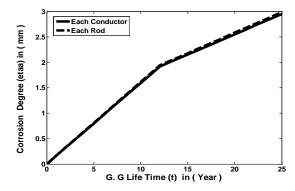


Fig. 9a. Grounding grid corrosion degree  $(\eta)$  in (mm) of each segment along 25-year life time

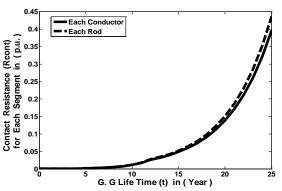
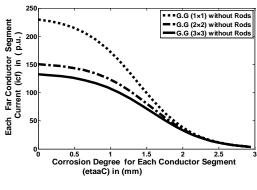


Fig. 9.b. Grounding grid contact resistance ( $R_{cont}$ ) in (p.u.) of each segment along 25-year life time

Since, the corrosion degree ( $\eta$ ) after 12-year is half of corrosion degree in first 12-year service lifetime of grounding grids [4],the increase of the curve slope after 12-year is lower than the curve slope at first 12-year lifetime. The corrosion degree of each rod segment ( $\eta_r$ ) is higher than the corrosion degree of each conductor segment ( $\eta_c$ ) of grounding grid along the lifetime of different shapes grounding grids because of the difference of the two layers soil resistivity.



(a)

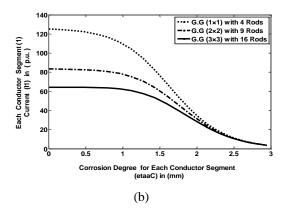
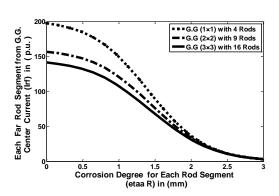


Fig. 10. Effect of conductor corrosion degree  $(\eta_c)$  in (mm) on far conductor segments current  $(I_{cf})$  in (p.u.) of different shapes grounding grids (a) without rods (b) with rods



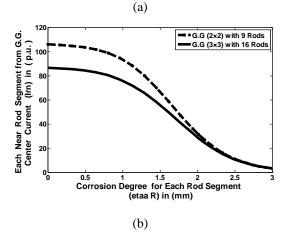


Fig. 11. Effect of rod corrosion degree  $(\eta_r)$  in (mm) of each rod segments current  $(I_{rf})$  in (p.u.) of different grounding grids (a) far (b) near G.G. center

According to Fig.10., and Fig.11., it is clear that the current of each conductor or rod segments is decreased by the increase of each segment corrosion degree ( $\eta$ ) of the grounding grids by same curves slops. the current decrease of the ground grid segments is high in the first 12-year of the grid service lifetime, then it is small after this period.

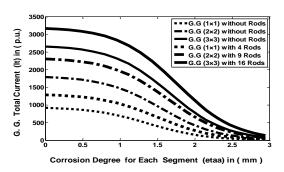


Fig. 12. a. Effect of corrosion degree  $(\eta)$  in (mm) on total current  $(I_t)$  in (p.u.) of different grounding grids

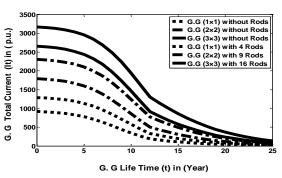
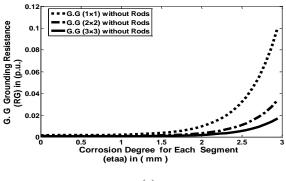


Fig. 12. b. Total current ( $I_l$ ) in (p.u.) of different grounding grids for 25-year life time

According to Fig.12.a. and Fig.12.b., it is noticed that the total currents ( $I_t$ ) (total fault current) of different shapes of grounding grids are decreased by the increasing of segments corrosion degree ( $\eta$ ) along the service lifetime of the grounding grids.

the total current of grounding grid  $(1\times1)$  with 4 vertical rods is higher than the total current of the same dimensions grounding grid without vertical rods. Moreover, the same relationship has been indicated for grounding grid  $(2\times2)$  and  $(3\times3)$ . The grounding grid  $(3\times3)$  with 16 vertical rods is the highest total current in the same ground conditions and corrosion degrees of the studied ground grids.



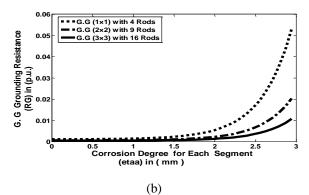
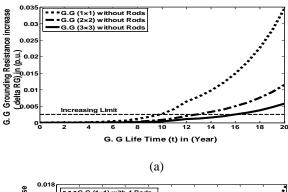


Fig. 13. Effect of corrosion degree  $(\eta)$  in (mm) on ground resistance  $(R_G)$  in (p.u.) of different grounding grids (a) without rods (b) with rods

According to Fig.13., It noticed that the resistances to ground  $(R_G)$  of different shapes grounding grids are increased by the increasing of segments corrosion degree  $(\eta)$  due to the increasing of service life time of the grounding grids (t).

The ground resistance  $(R_G)$  of the grounding grid  $(1\times1)$  with 4 vertical rods is smaller than the ground resistance of the same dimensions grounding grid without vertical rods. The same relation has been indicated in grounding grid  $(2\times2)$  and  $(3\times3)$ . The grounding grid  $(3\times3)$  with 16 vertical rods is the smallest ground resistance  $(R_G)$  in the same ground conditions and corrosion degrees of the studied ground grids.



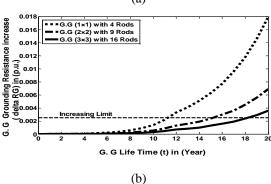


Fig. 14. Ground resistance increase ( $\Delta R_G$ ) in (p.u.) of different grounding grids (a) without rods (b) with rods

According to Fig.14. it is clear that, the ground resistance increase ( $\Delta R_G$ ) is increased along the service lifetime of different shapes grounding grids. The curve slope is very narrow at first 12-year but it is steep after that period to 20-year of service lifetime of different shapes grounding grids.

However, according to the guidelines given in IEEE standard 80TM, [9], "the increase of 50Hz ground resistance of the whole grounding grid due to corrosion below 2.5  $\Omega$  is acceptable". Hence, at resistance base value  $R_{\rm Base} = 1000~\Omega$  of per-unit system as numerical generalization method, the acceptable increase resistance will be 0.0025 p.u..

The increase of 50Hz grounding grid  $(1\times1)$ without vertical rods ground resistance ( $\Delta R_G$ ) of the designed grounding gird due to corrosion will be 0.0027 p.u. in 10 years after being buried. The value exceeds the maximum acceptable value, at this time; the performance of the grounding grid is not satisfactory. The estimated service life of the designed grounding grid (1×1) without vertical rods is 9 years. Where, the increase of ground resistance  $(\Delta R_G)$ of the designed grounding gird (2×2) without vertical rods due to corrosion will be 0.0026 p.u. in 13 years after being buried, then the estimated service life of the designed grounding grid is 12 years. For the designed grounding gird (3×3) without vertical rods the increase of ground resistance ( $\Delta R_G$ ) due to corrosion will be 0.0031 p.u. in 17 years after being buried, the estimated service life of the designed grounding grid is 16 years.

However, The increase of 50Hz ground resistance  $(\Delta R_G)$  of the designed grounding gird  $(1\times1)$  with 4 vertical rods due to corrosion will be 0.0033 p.u. in 12 years after being buried, the estimated service life of the designed grounding grid is 11 years. Where, the increase of ground resistance  $(\Delta R_G)$  of the designed grounding gird  $(2\times2)$  with 9 vertical rods due to corrosion will be 0.0030 p.u. in 16 years, then the estimated service life of the designed grounding grid is 15 years. For the designed grounding gird  $(3\times3)$  with 16 vertical rods the increase of ground resistance  $(\Delta R_G)$  due to corrosion will be 0.0029 p.u. in 19 years after being buried then the estimated service life of the designed grounding grid is 18 years.

#### 5. Conclusion

The performances evaluation of steel grounding grids according to corrosion effect at a certain year of the service lifetime are proposed in this paper.

Current distribution of each grounding grid segment at any year next the grounding grid has been buried in two layer soils is also given in this paper.

In order to measure the increase of self-ground resistance of conductor segment at a certain corrosion degree, the corrosion of the conductor segment need to be accelerated to a certain degree in a short time, a corrosion acceleration method is presented in this paper and the measurement method is also given.

Service life estimation, as a problem or task faced by the industry (especially the power industry), is indicated in this paper using a mathematical model of grounding grid, moreover, a scheme that can estimate the service life of grounding grid is proposed. A case study to illustrate how the scheme to work is also given in this paper.

The estimated service lifetimes of studied different shapes grounding grids are: 9-year for ground grid (1×1) without rods, 11-year for ground grid (1×1) with 4 rods with percentage increase by amounte of 22.22%, However, 12-year for ground grid (2×2) without rods, 15-year for ground grid (2×2) with 9 rods with percentage increase by amounte of 25%. Nevertheless, 16-year for ground grid (3×3) without rods and 18-year for ground grid (3×3) with 16 rods with percentage increase by amounte of 12.5% of the grounding grids service life times according to corrosion effects.

It is clear according to these percentage that the grounding grids with vertical rods have more service lifetime than the grounding grids without vertical rods using same dimentions and under the same soil conditions.

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